

# *Molecular Spectroscopy*

*Lect 1: General Introduction*

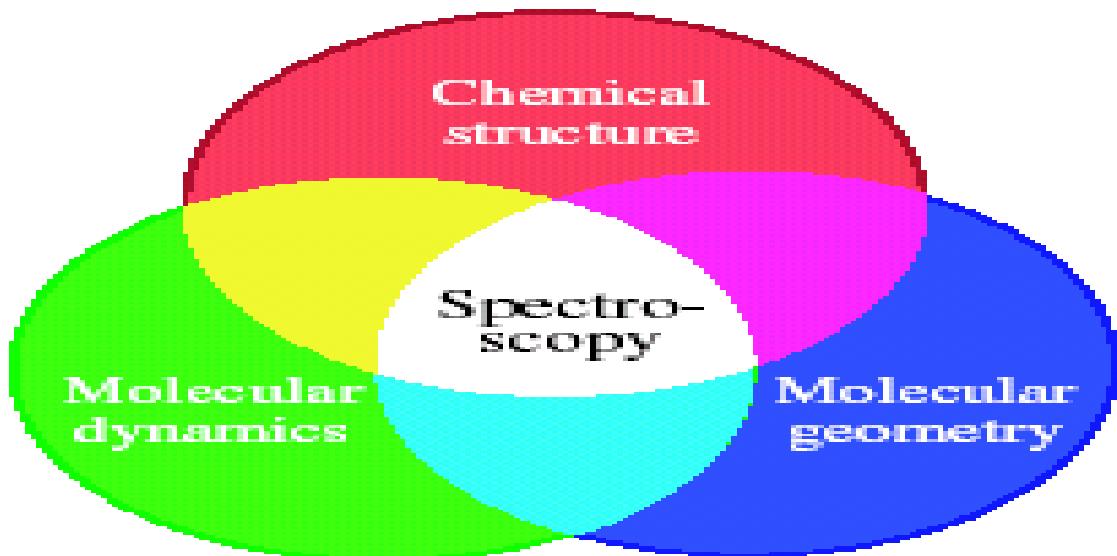
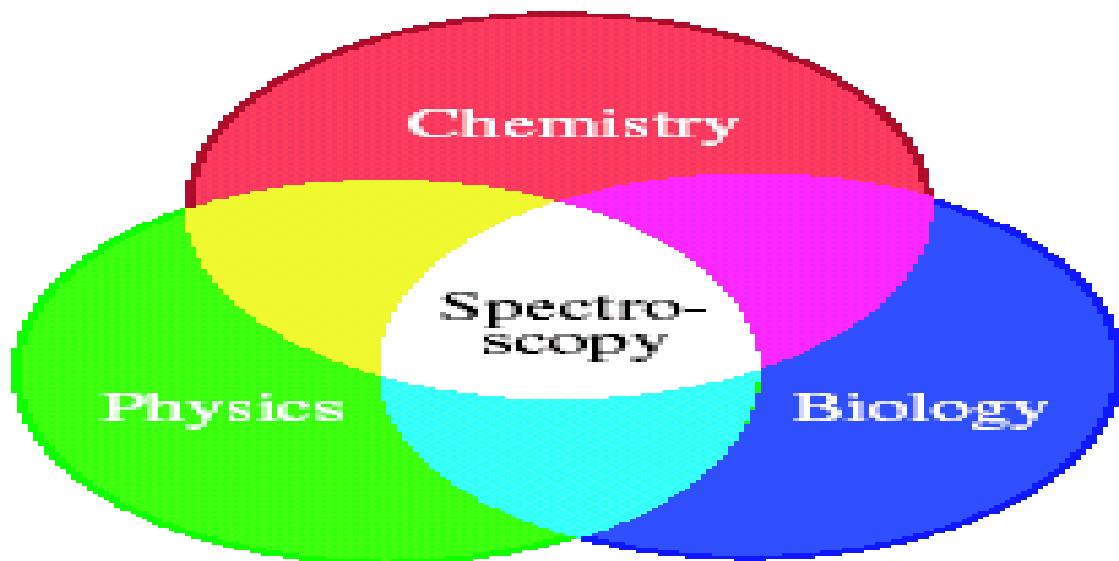
*Prof. Tarek A. Fayed*

# **Spectroscopy and Electromagnetic Radiations**

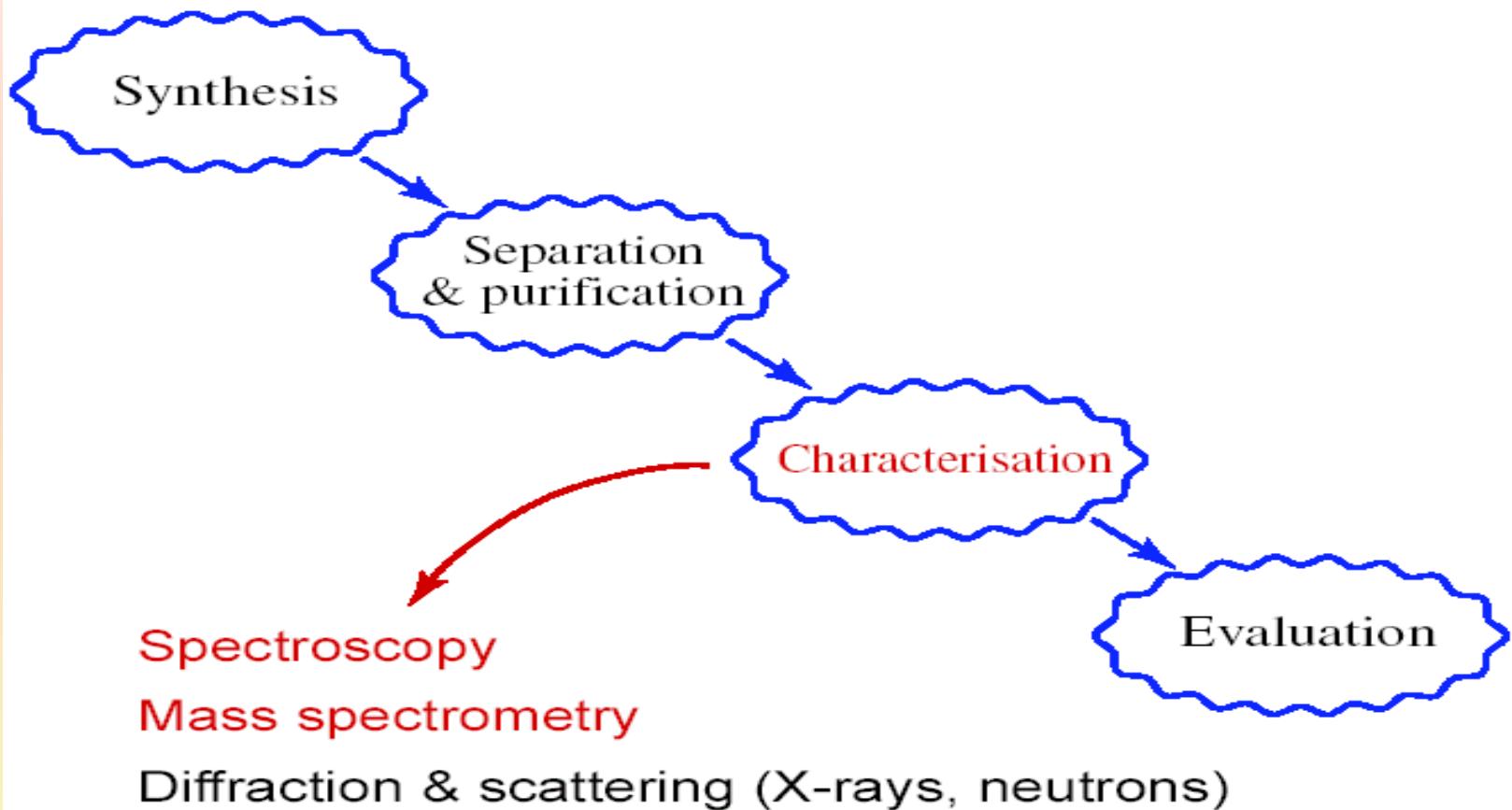
**Spectroscopy:** It involves the investigation of the interactions of electromagnetic radiations (*light*) with matter (atoms or molecules) and explanation of the spectral pattern.

**Spectra:** It shows how the interaction between electromagnetic radiation and the matter varies with the frequency of the electromagnetic radiation (*Energy*).

# Applications of Spectroscopy



# The Role of Spectroscopy

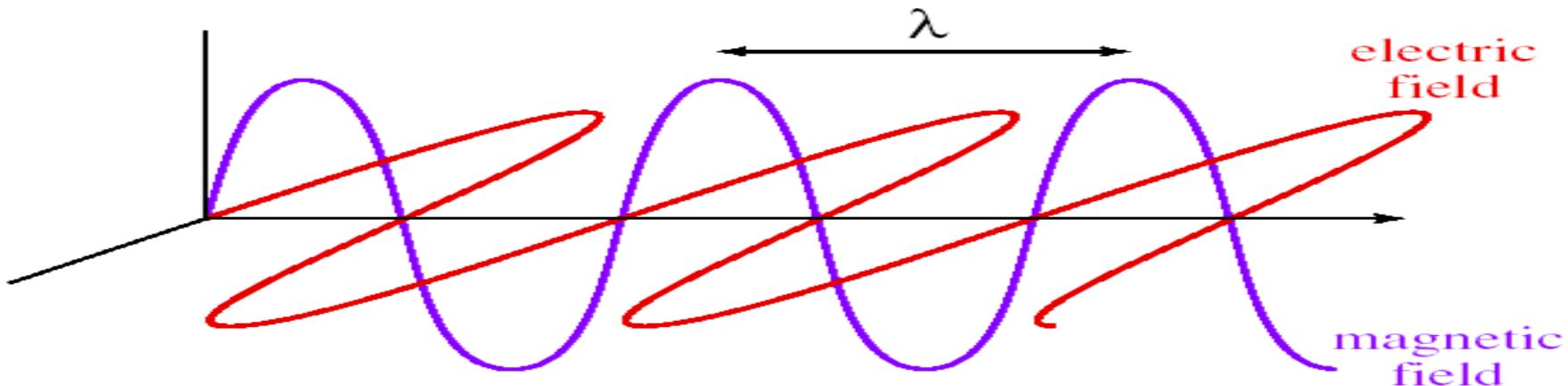


# Electromagnetic Radiation (e.m.r.)

Light can be described in two complementary ways...

## Wave picture:

Consists of oscillating electric and magnetic fields



$$c = \lambda \nu$$

c – velocity ( $\text{m s}^{-1}$ )

$\lambda$  – wavelength (m)

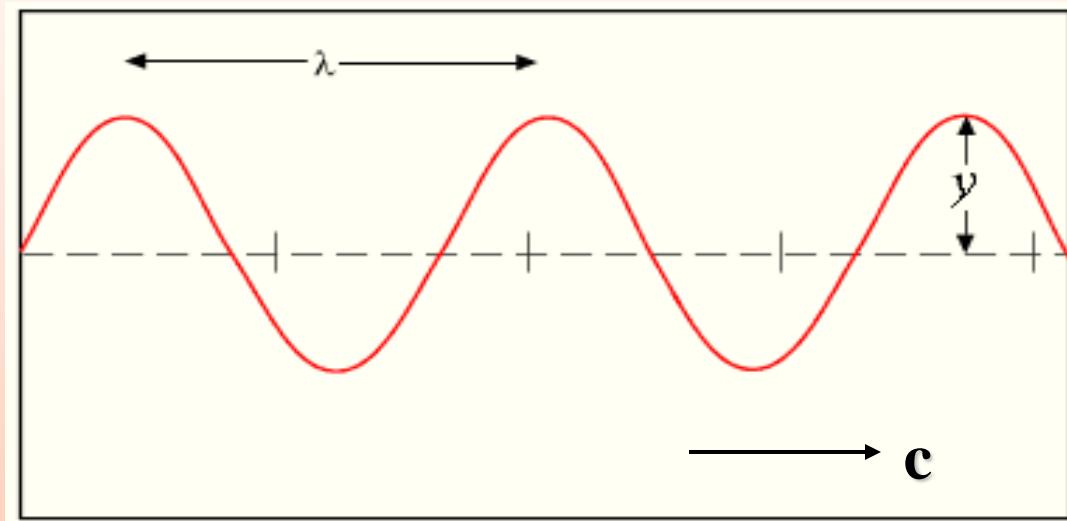
$\nu$  – frequency ( $\text{Hz} \equiv \text{s}^{-1}$ )

$$c_0 \text{ (vacuum)} = 2.99776 \times 10^8 \text{ m s}^{-1}$$

**Particle picture:** consists of “packets” of light, **photons**, each with energy  $E = h\nu$

$h$  – Planck's constant

# *Properties of electromagnetic radiations*



**As waves, electromagnetic radiations are characterized by:**

$\lambda$  = wavelength (length of single wave),

$y$  = amplitude

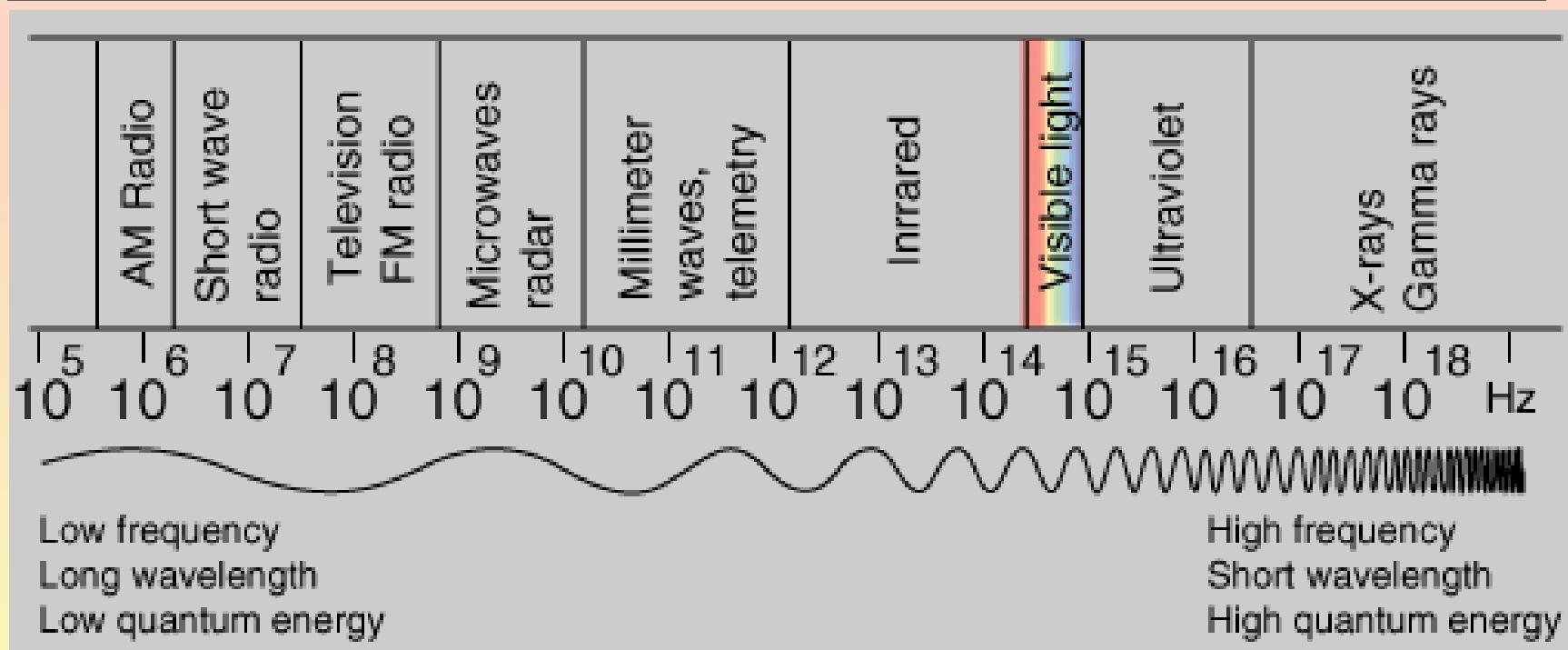
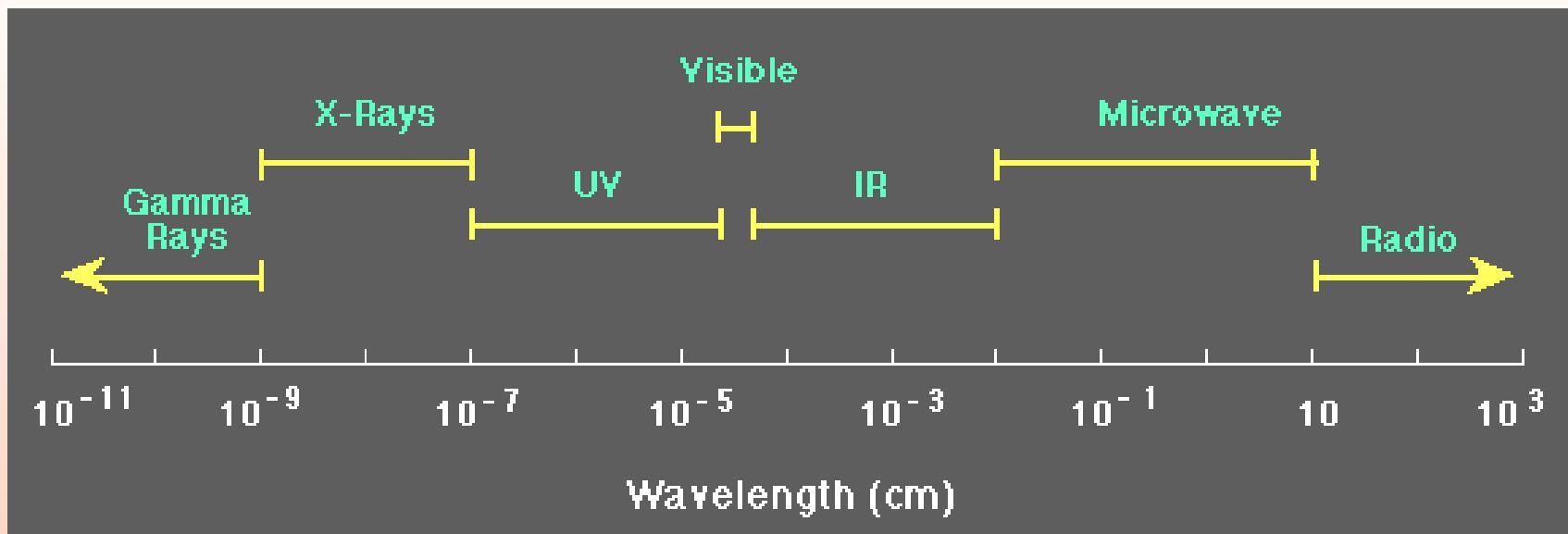
$C$  = speed of light in a vacuum

$v$  = frequency (number of cycles passing a certain point per second)

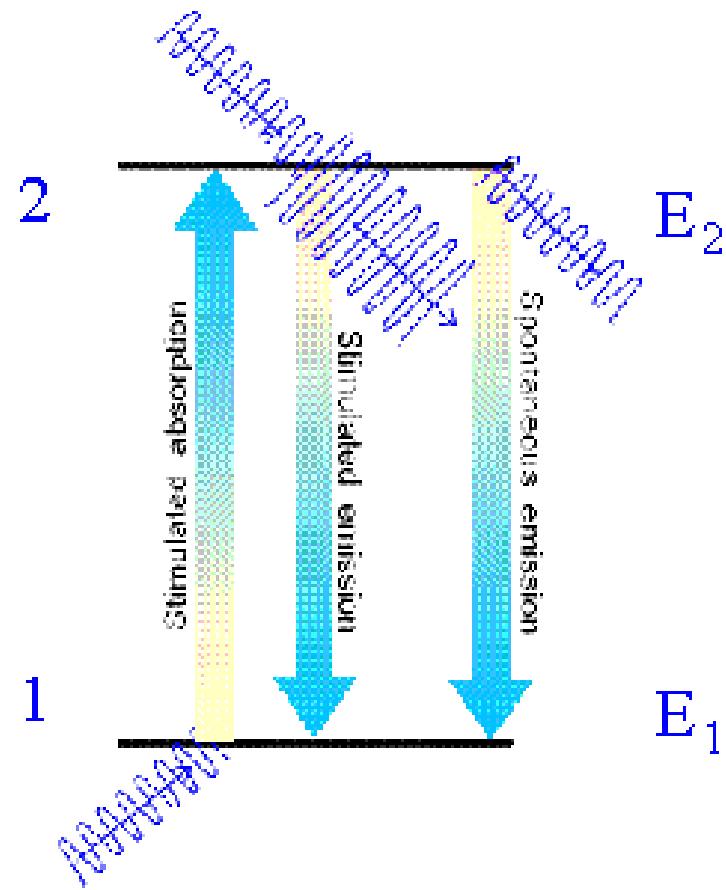
in Hertz

$\tilde{\nu} = v / \lambda$  (in cm) wavenumber = a number of waves that fit a centimetre, units =  $\text{cm}^{-1}$

# The Electromagnetic Spectrum



# Quantization of Energy



Bohr frequency condition

$$\Delta E = E_2 - E_1 = h \cdot \nu = h \cdot c \cdot \tilde{\nu}$$

$h$  - Planck constant,  $6.626 \cdot 10^{-34} \text{ J}\cdot\text{sec}$

$E_2$  and  $E_1$  - energy levels

1 and 2 - quantum numbers

units: J

*in molar units, J/mol*

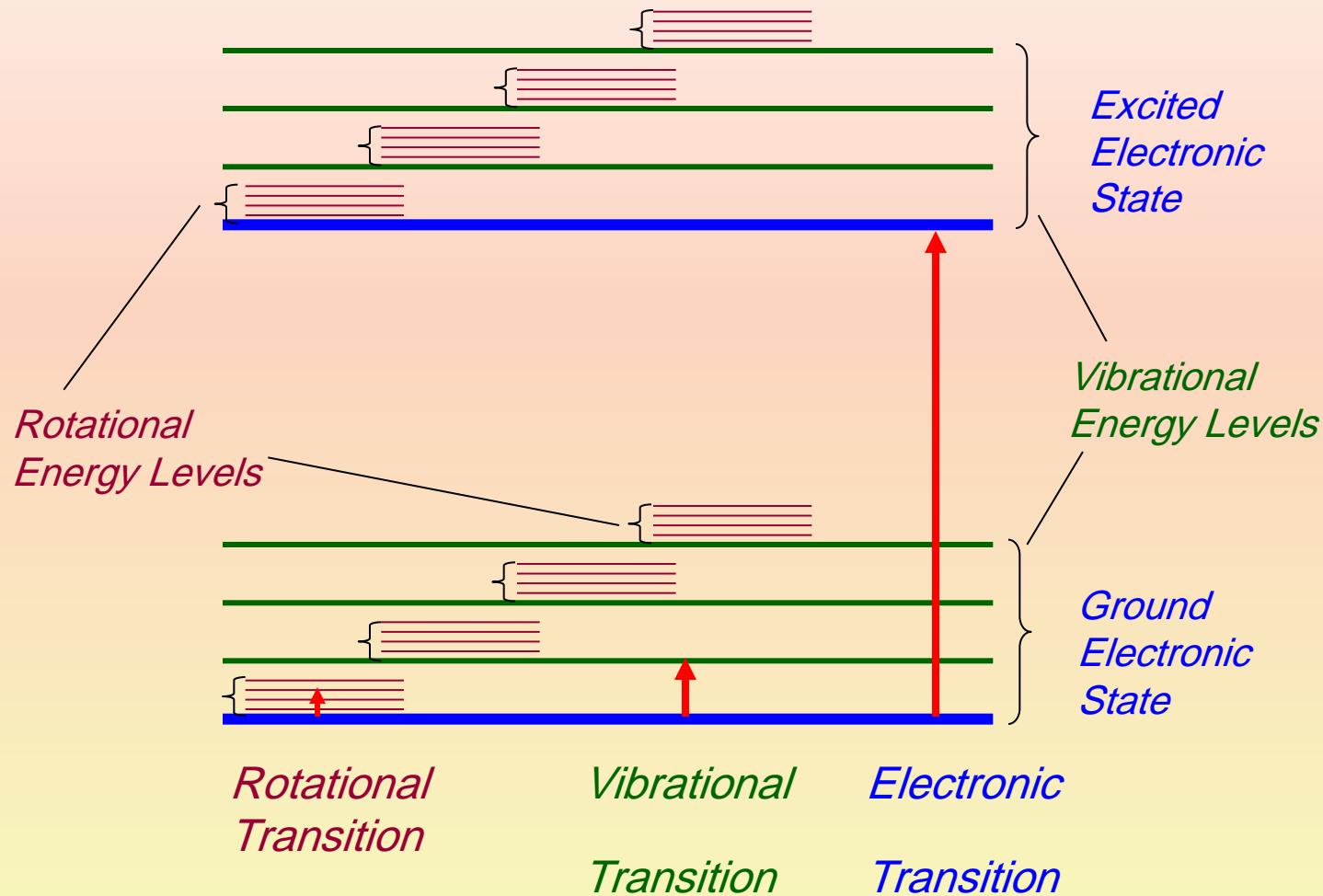
$$\Delta E = N_A \cdot h \cdot \nu$$

Energy 'units': J, cal, Hz,  $\text{cm}^{-1}$ , eV

Which units do we use in NMR, UV, IR spectroscopy?

# *Molecular Energy Levels and interactions between light and matter*

Radiations can be absorbed or emitted if the molecule changes any of its energy states

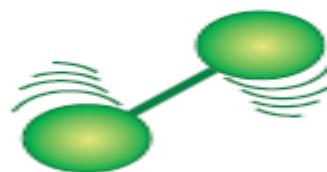


# Molecular Energies

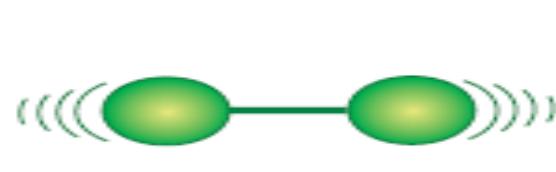
Molecules can have many different types of energy



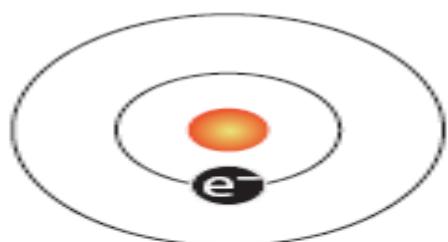
translation



rotation



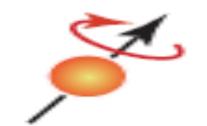
vibration



electron orbital

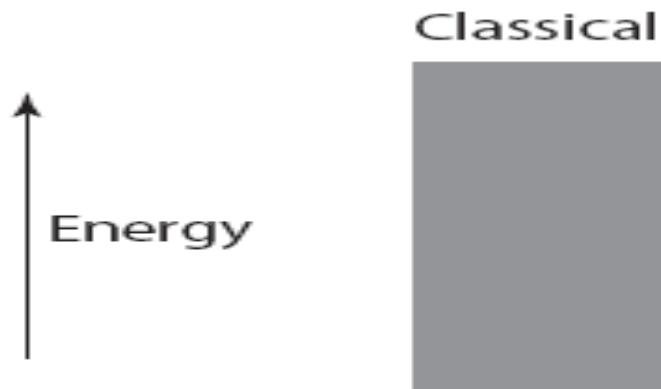


electron spin



nuclear spin

These energies are **quantised**, giving a set of **energy levels**:



Classical

Quantum

$E_4$

$E_3$

$E_2$

$E_1$

$E_0$

## **Interactions with Matter**

Radio-wave; *Changes nuclear and electron spin*

Microwave; *Changes molecular rotations*

Infrared; *Changes molecular vibrations*

Visible; *Causes transition of outer shell*

Ultraviolet; *electrons*

*Causes molecular dissociation*

X-ray; *Causes transition of inner shell  
electrons*

$\gamma$ -ray; *Causes nuclear transitions*

Low frequency  
Long wavelength  
Low quantum energy

High frequency  
Short wavelength  
High quantum energy



AM Radio	Short wave radio	Television FM radio	Microwaves radar	Millimeter waves, telemetry	Infrared	Visible light	Ultraviolet	X-rays	Gamma rays
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Body is transparent.  
You are commonly penetrated by radiation in this range from local radio and TV stations and other forms of communication.

Almost transparent.  
Tiny amount of absorption rotates molecules and contributes heating, but no effects distinguishable from heating.

To have a physiological effect, the energy of the radiation must be absorbed. To be absorbed, there must be quantum energy level pairs which match the photon energy of the radiation. If these energy level pairs are not available in a given frequency range, then the material will be transparent to that radiation.

Strongly absorbed because it causes electron jumps to higher levels. Not enough energy to ionize.

Stronger absorption vibrates molecules. Physiological effect is heating since it is putting molecules into vibrational motion.

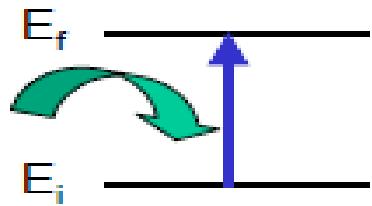
Very strongly absorbed by electron jumps. Doesn't penetrate skin. Upper end can ionize.

Almost transparent since quantum energies so high that atoms can't absorb and remain intact. Ionizes.

Origin of spectral lines in molecular spectroscopy: absorption or emission of a photon when the energy of the molecule changes:

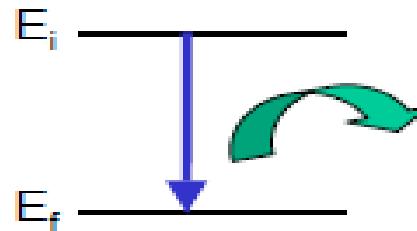
- electronic transitions
- rotational states change
- vibrational states change

### Absorption spectroscopy:



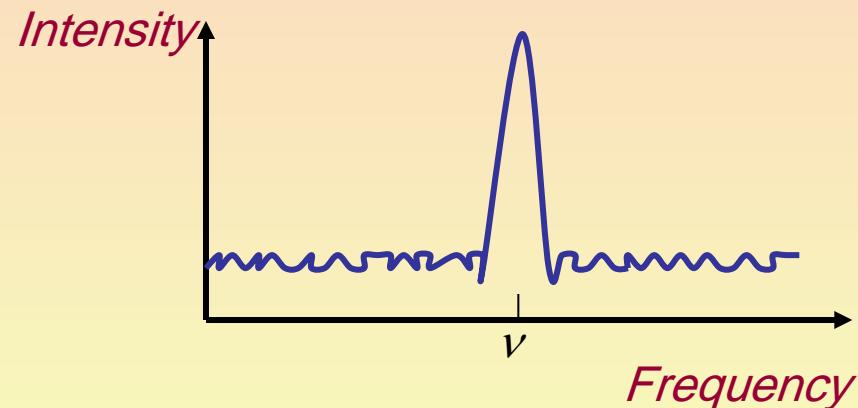
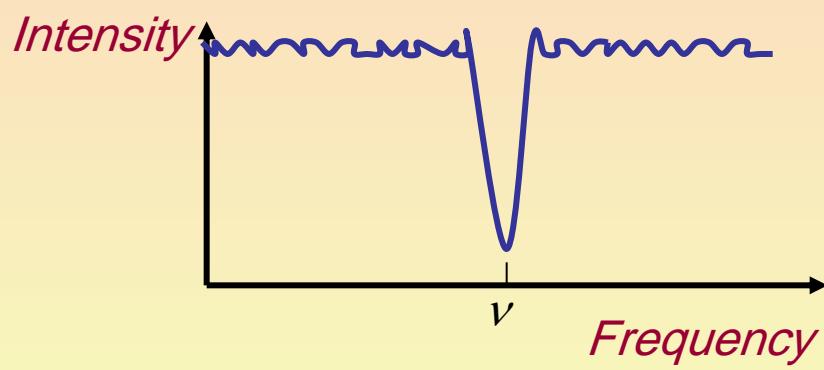
$$\Delta E = h\nu \quad (4.1)$$

### Emission spectroscopy



Emission or absorption spectroscopy:

- give the same information about the energy levels
- practical considerations determine which technique is better to use.

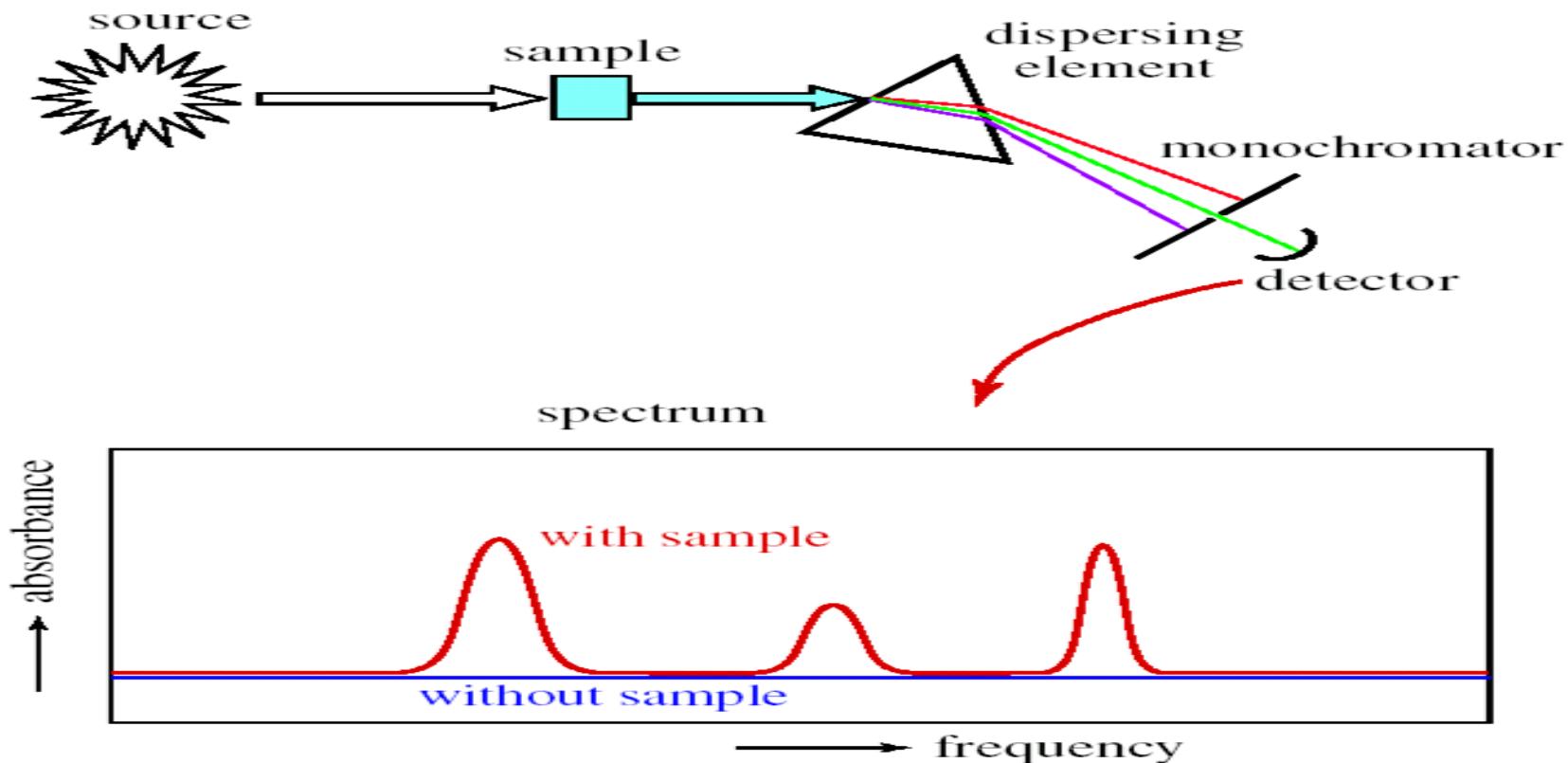


# Basic components of Spectrometer

How the spectra are measured?

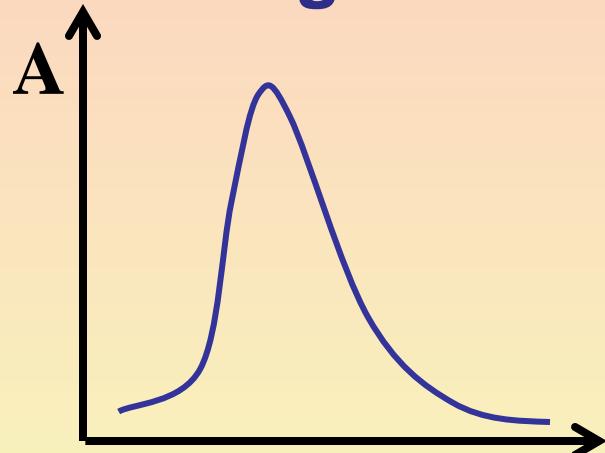
## What is Spectroscopy?

The study of the interchange of energy between electromagnetic radiation and matter.

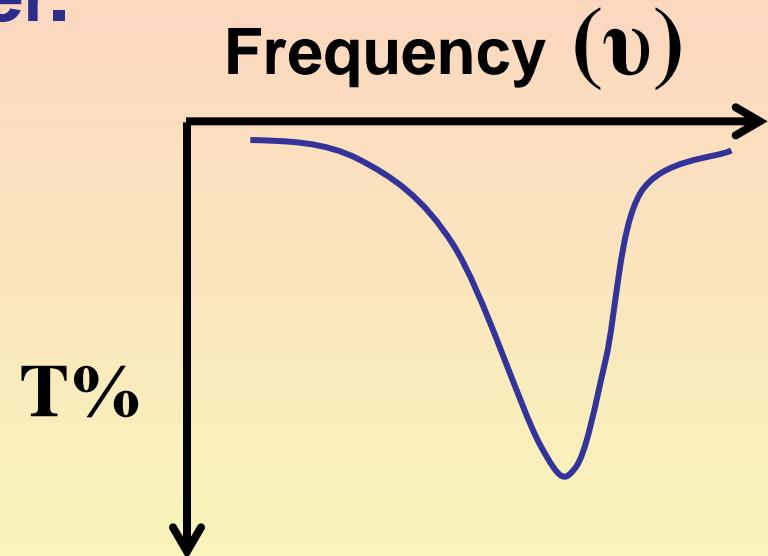


## Spectra recorded by the Spectrometer

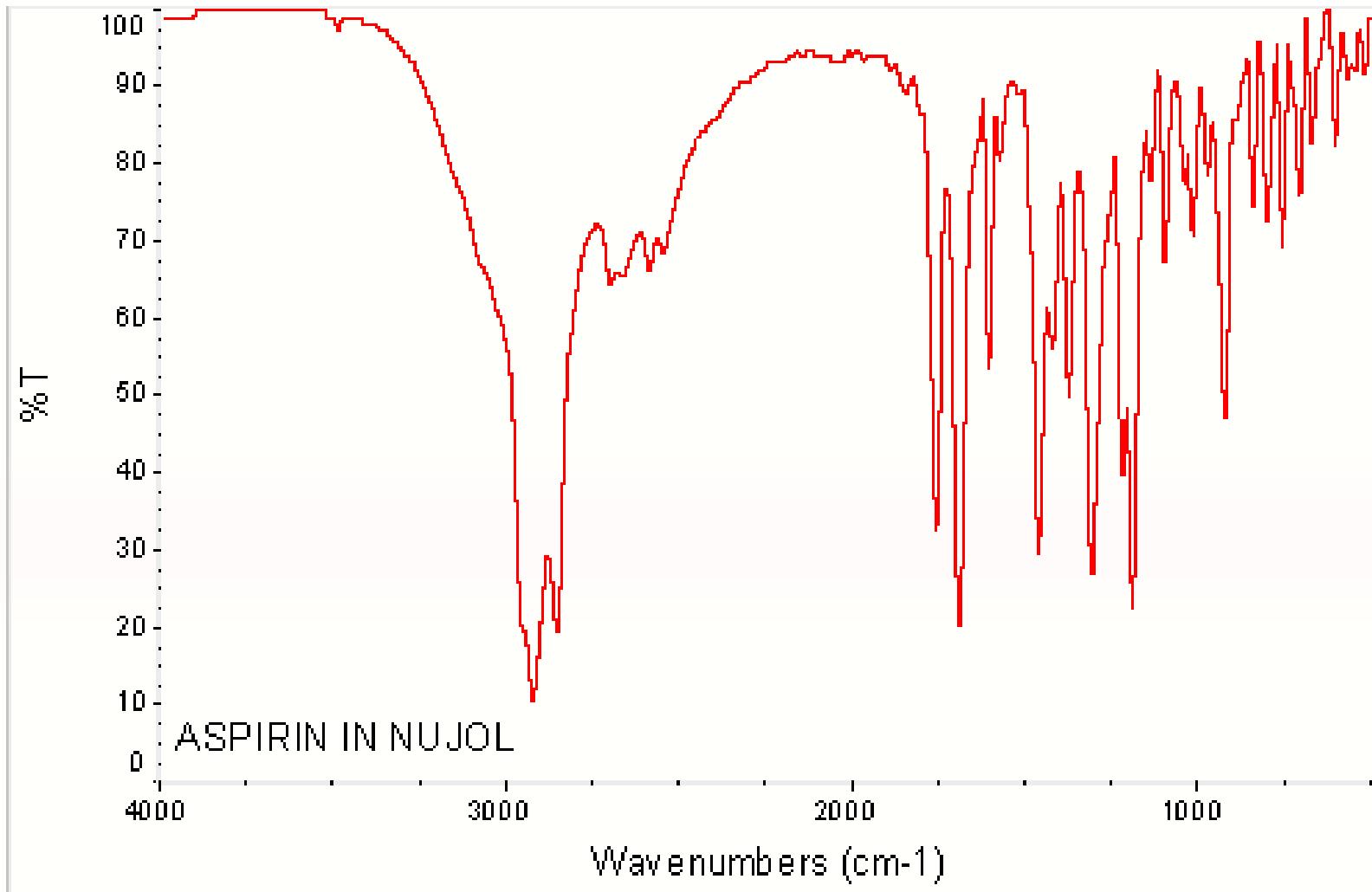
White-light covering a wide range of frequencies is passed through a sample cell and then to a monochromator (a prism or grating). Detector (photodiode array) records the intensity of transmitted light as a function of frequency or records the absorbance as a function of wavelength or wavenumber.



$\lambda$  = Wavelength.



## Spectral features



- Position of bands
- Width of spectral lines
- Intensity of spectral lines

## Spectral features

**1. Bands Position:** It is determined by the wavelengths or the frequencies at which the molecule absorb, it depends on its structural features (Functional groups), as well as its environment (solvent used). It is determined by the spacing between the energy levels (i.e energy difference between energy levels involved in the transition) not by the energy of the levels themselves.

**2. Width of spectral line:** broadening is caused by;

- Collisional broadening (due to molecular interactions).
- Doppler broadening (molecular interactions in case of gases).
- Lifetime broadening ( $\delta E \cdot \delta t \sim h/2\pi$ )

**3. Intensity of spectral lines:** It tells us about the;

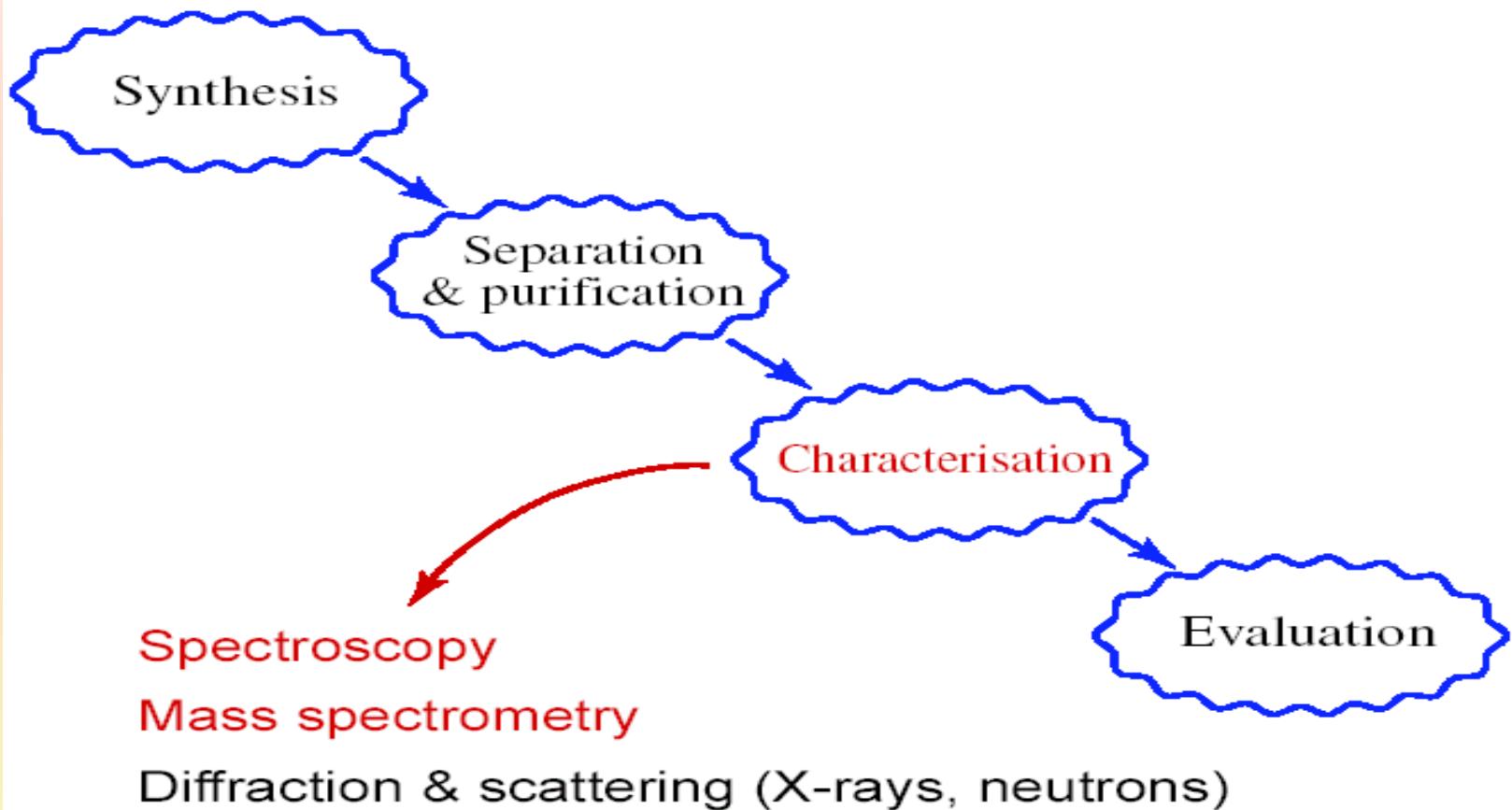
- Transition probability (transition is allowed or forbidden).
- Population of states.
- Path length of the sample ( $-\log(I/I_0) = A = \epsilon l c$  )

## *Aims of spectroscopy*

*Molecular spectra can be used to make;*

- 1- Qualitative analysis of a new substance or mixture (to identify the present molecular species).*
- 2. Quantitative determination of a known substance (using Beer-Lamber law).*
- 3. Structural characterization of a substance (from the energy levels and various transitions - establish the physical and chemical properties of the substance).*

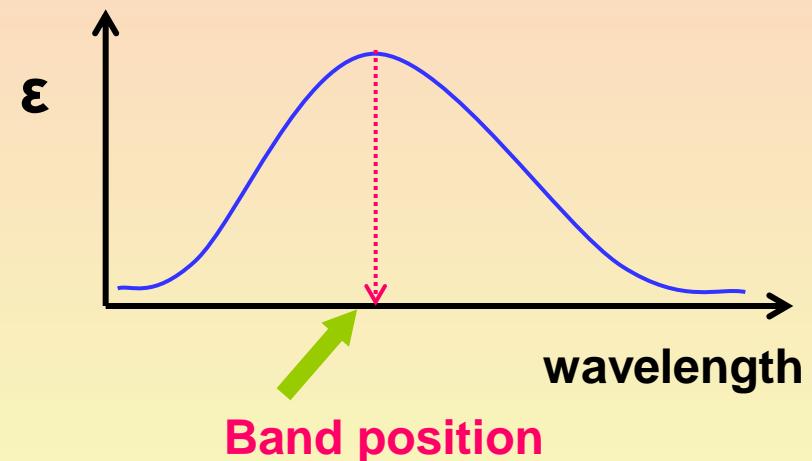
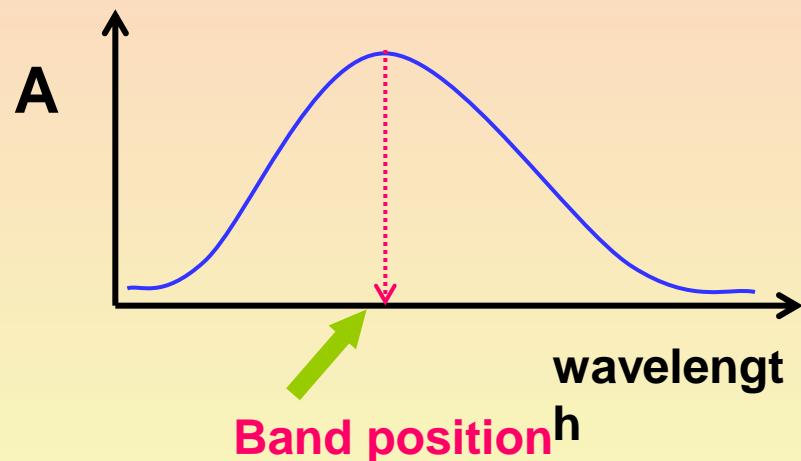
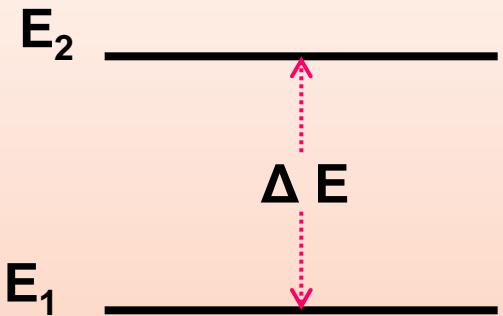
# The Role of Spectroscopy



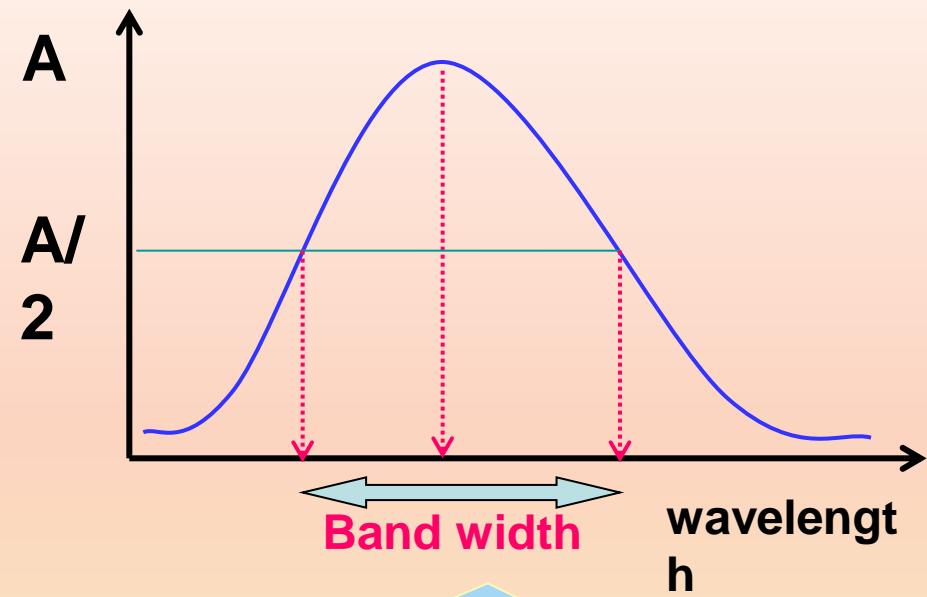
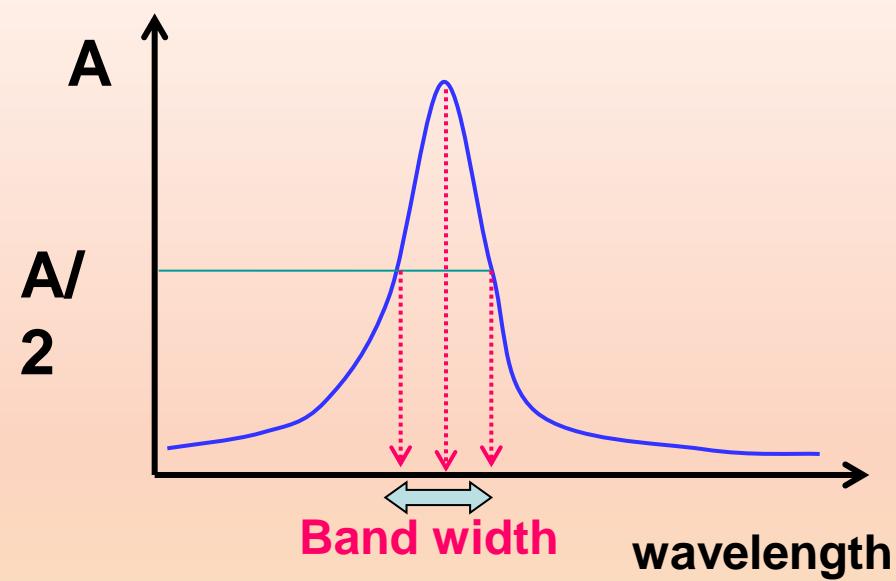
# 1. Bands Position

$$\Delta E = E_2 - E_1$$

$$= h\nu = \frac{hc}{\lambda} = hc\bar{\nu}$$



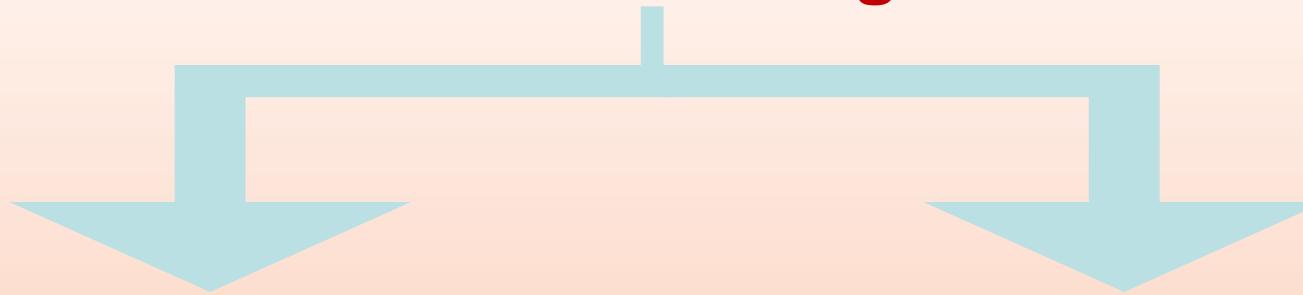
## 2. Width of spectral lines: (half- and base band width)



Broadening  
g

# *Spectral band broadening is due to:*

## i. Collision broadening



### Elastic collision:

No energy from internal degree of freedom is transferred during the collision.

### Inelastic collision:

The excitation energy is transferred from the excited molecule  $A^*$  to a collision partner  $B$

- The collision of molecules causes the excited state to revert to the ground state, shorten the lifetimes of the excited state and leads to broadening of the associated spectral lines.

## ii. Doppler broadening

- Occurs in gaseous state, and increases with temperature due to increasing differences between the distribution of velocities of molecules.
- The radiation frequency is shifted when the absorbing or emitting molecule is moving towards or away from the observer (light detector).
- Light source emits light photons with frequency  $v_0$ , the molecule is moving toward or away from the stationary observer with velocity ( $\pm v$ ), then the observer measure the frequency not as  $v_0$  but as  $v'$  where;

$$v' = v_0 \left( 1 \pm \frac{v}{c} \right)$$

### iii. Life-time broadening

- If a system exists in an energy state with energy (*E*) for a limited time ( $\tau = \text{lifetime of the state}$ ). The energy of that state will be uncertain to an extent ( $\delta E$ ).

According to Heisenberg Uncertainty Principle;

$$\delta(E) \times \delta(t) \approx \frac{h}{2\pi} = \hbar$$

$\delta(t) = \text{uncertainty in time} = \tau$

$$\text{Lifetime broadening in frequency} = \frac{1}{2\pi\tau}$$

Where  $\tau$  is the lifetime

## example

- Calculate the lifetime broadening in  $\text{cm}^{-1}$  for an excited state with lifetime ( $\tau = 1\text{p.s.}$ ).

**Note:**  $1\text{p.s} = 10^{12} \text{s.}$

$$\text{Lifetime broadening in wavenumber} = \frac{1}{2\pi c \tau}$$

$$= \frac{1}{2 \times 3.14 \times 2.998 \times 10^{10} \times 1 \times 10^{-12}}$$

## The intensity of the spectral line

It is governed by;

- 1. Transition probability from which selection rules can be obtained.**
- 2. Population of the energy levels.**
- 3. Path length of the sample.**

Transition probability is governed by

transition dipole moment  $|\vec{M}|$

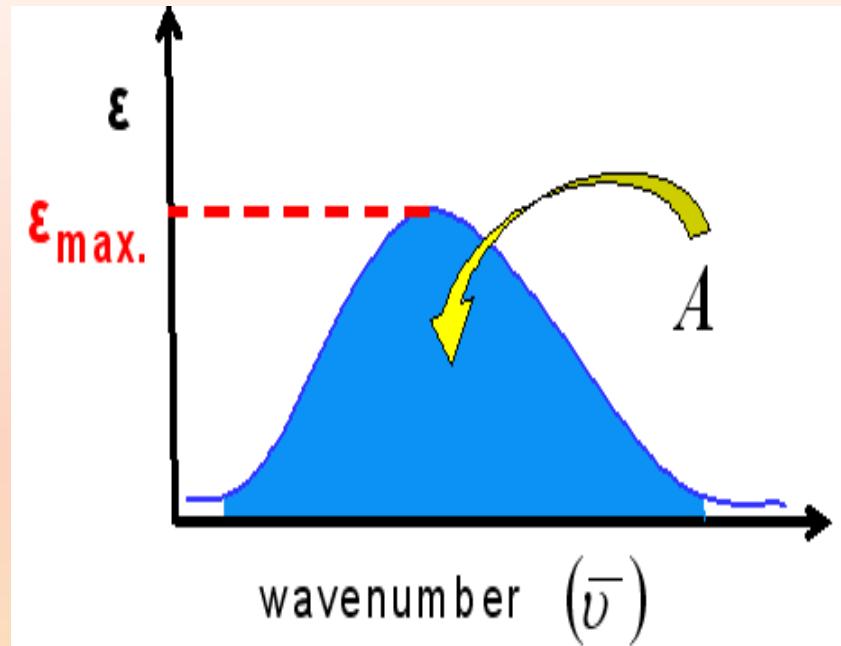
Transition dipole moment gives the probability of a transition

between two states (1) and (2) as a result of photon resonance

$$E_2 - E_1 = hc\bar{\nu}$$

absorption obeying Bohr-Einstein conditions:

*The maximum value of molar absorption coefficient ( $\epsilon_{max.}$ ), oscillator strength (f-number) and integrated absorption coefficient (A) are taken as indications for the intensity of transition.*



$$A = \int_{band} \epsilon_{(\bar{v})} d\bar{v}$$

## Oscillator strength ( $f$ ):

If we regard the molecule as oscillating dipole then the oscillator strength ( $f$ ) is defined as the number of virtual oscillators equivalent to transitions from  $I^{\text{th}}$   $\rightarrow k^{\text{th}}$  electronic state in quantum theory.

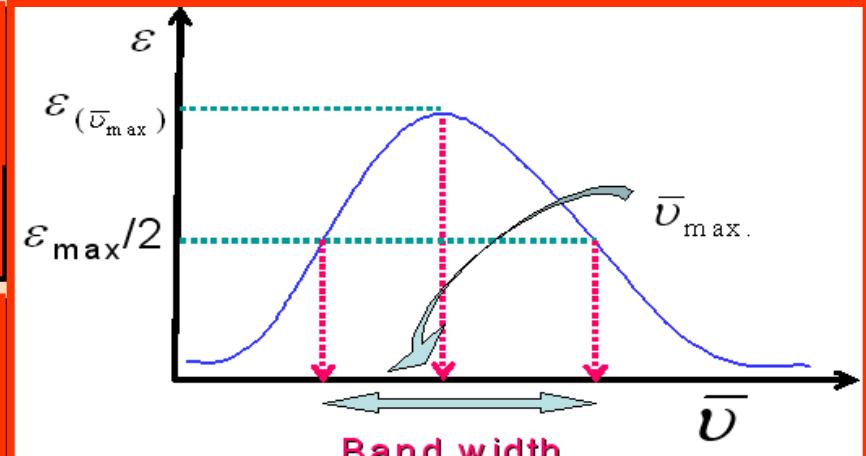
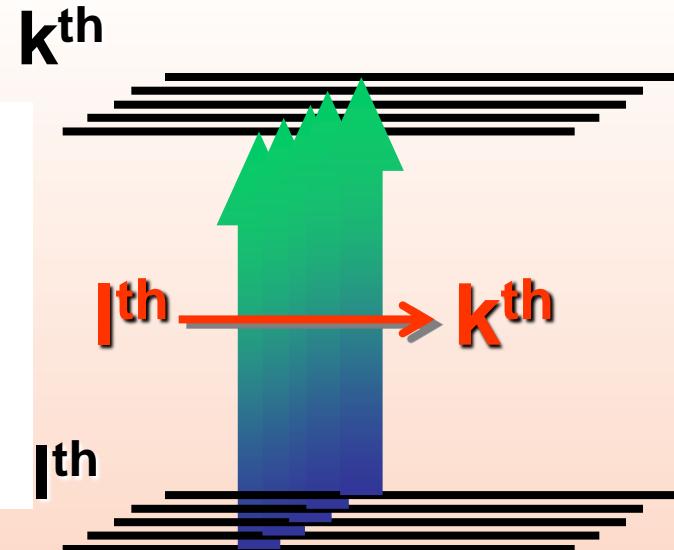
$$f = 4.32 \times 10^{-9} \int_{\text{band}} \varepsilon_{(\bar{\nu})} d\bar{\nu}$$

If the band has Gaussian

shape:

$$\int_{\text{band}} \varepsilon_{(\bar{\nu})} d\bar{\nu} = \varepsilon_{(\bar{\nu}_{\max})} \times \Delta \bar{\nu}_{1/2}$$

$$= \varepsilon_{(\bar{\nu}_{\max})} \times (\text{band width})$$



$$f \geq 1$$

Allowed transition

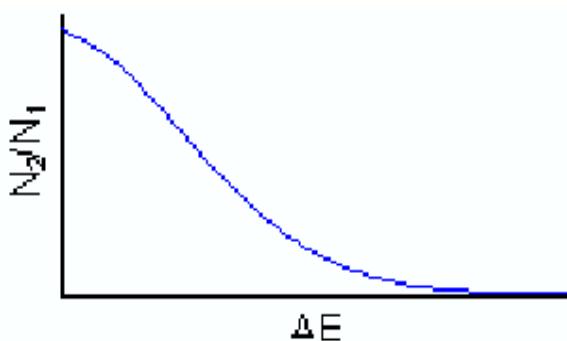
$$f \ll 1, (10^{-2} - 10^{-4})$$

forbidden transition

# Population of the energy levels

## 1. Boltzmann distribution

$$\frac{N_2}{N_1} = e^{-(\Delta E / kT)}$$

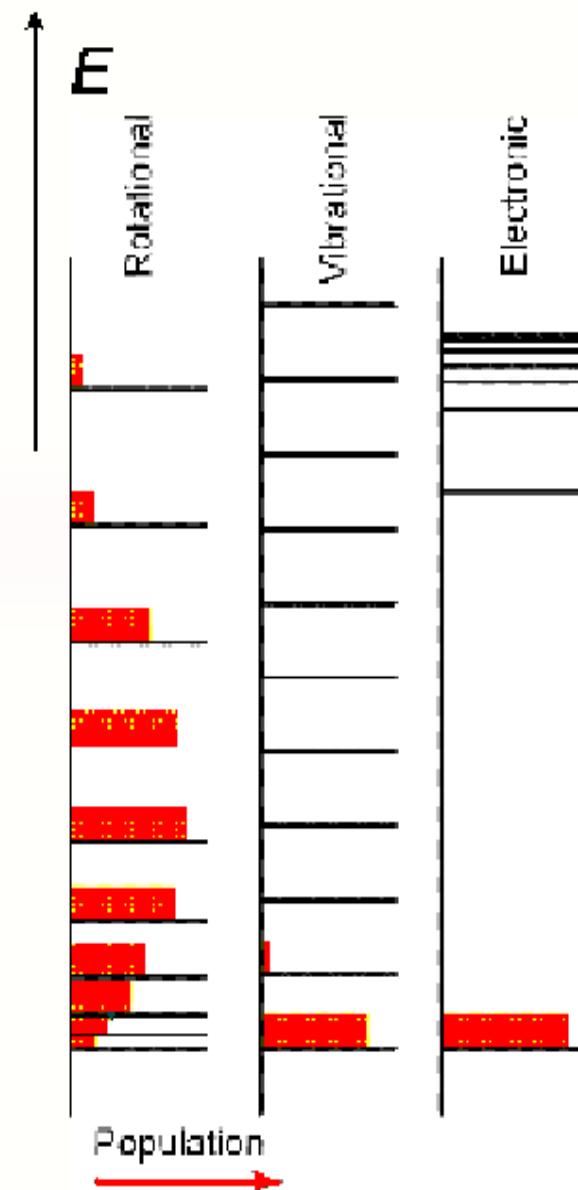


since  $E = h \cdot \nu = h \cdot c / \lambda = h \cdot c \cdot \tilde{\nu}$

$$\frac{N_2}{N_1} = e^{-(h\nu / kT)} = e^{-(hc\tilde{\nu} / kT)} = e^{-(N_A hc\tilde{\nu} / RT)}$$

$k=1.381 \cdot 10^{-23} \text{ J/K}$  and  $R=8.314 \text{ J/(K \cdot mol)}$

## 2. Number of degenerated energy levels



## Summary

1. Electromagnetic spectrum
2. Quantization of energy - Bohr frequency condition

$$\Delta E = E_2 - E_1 = h \cdot v = h \cdot c \cdot \tilde{v}$$

3. Energy 'units': J, cal, Hz,  $\text{cm}^{-1}$ , eV

4. Energy levels in molecules

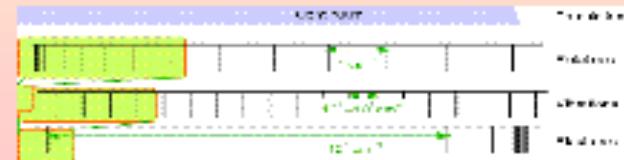
5. Spectral features

- position of bands

- width of spectral lines

- intensity of spectral lines

6. Population of the energy levels  
Boltzmann distribution



$$\frac{N_2}{N_1} = e^{-(\Delta E / kT)}$$

*Which units do we use in NMR, UV, IR spectroscopy?  
Can you convert  $2000 \text{ cm}^{-1}$  into  $\text{m}^{-1}$ ?*